

Compilers

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Lecture 10
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Chapter 6 (6.3 to 6.5.2)

Intermediate Code Generation

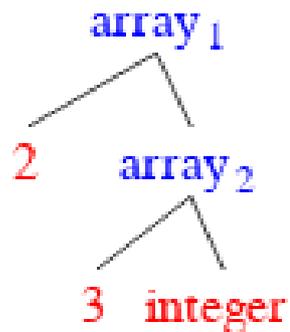
Types' Applications

- 1) **Type Checking:** insures operands match operators' needs (ex: &&).
- 2) **Translation Applications:** ex: storage needed for a name, address within array, type conversions, right version or arithmetic operator.

Note: Actual storage at runtime, relative addresses at compile time.

Type Expressions

- **Represent type structure.**
 - 1) Basic type.
 - 2) Applying type constructor on a type expression.
- Depend on the language.
- Ex: `int[2][3] : array(2, array(3, integer))`



Type Expressions Definition

What is considered a type expression:

- A basic type: boolean, integer, char, void (lack of value).
- A type name. (**typedef, classes**).
- Applying *array* type constructor to a number and a type expression.
- Applying *record* type constructor to field names and their types.
- Applying type constructor \rightarrow for function types ($s \rightarrow t$).
- Cartesian Product of two type expressions, like function parameters ($s \times t$) (left associative, higher precedence than \rightarrow).
- May contain variables whose values are type expressions.

Can be represented by a graph.

Type Equivalence

- Type checking: “**if** 2 type expressions are equal **then** return a certain type **else** error”.
- Potential ambiguities: names given more than once. (a name stands for itself or it is an abbreviation?)
- 2 type expressions are equivalent iff either:
 - They are the same basic type.
 - They are formed by applying the same constructor to structurally equivalent types.
 - One is a type name that denotes the other.

Declarations

- Grammar declaring one name at a time:

$$D \rightarrow T \mathbf{id} ; D \mid \varepsilon$$
$$T \rightarrow B C \mid \mathbf{record} \{ \mathbf{' D '}\}$$
$$B \rightarrow \mathbf{int} \mid \mathbf{float}$$
$$C \rightarrow \varepsilon \mid [\mathbf{num}] C$$

Storage Layout for Local Names

- Type determines amount of runtime storage needed for a name. Relative address can be set at compile time. Type and relative address are stored in symbol table.
- Varying length data (strings) and data whose size is determined at runtime (dynamic arrays) are handled using fixed sized pointers.

Storage Layout for Local Names

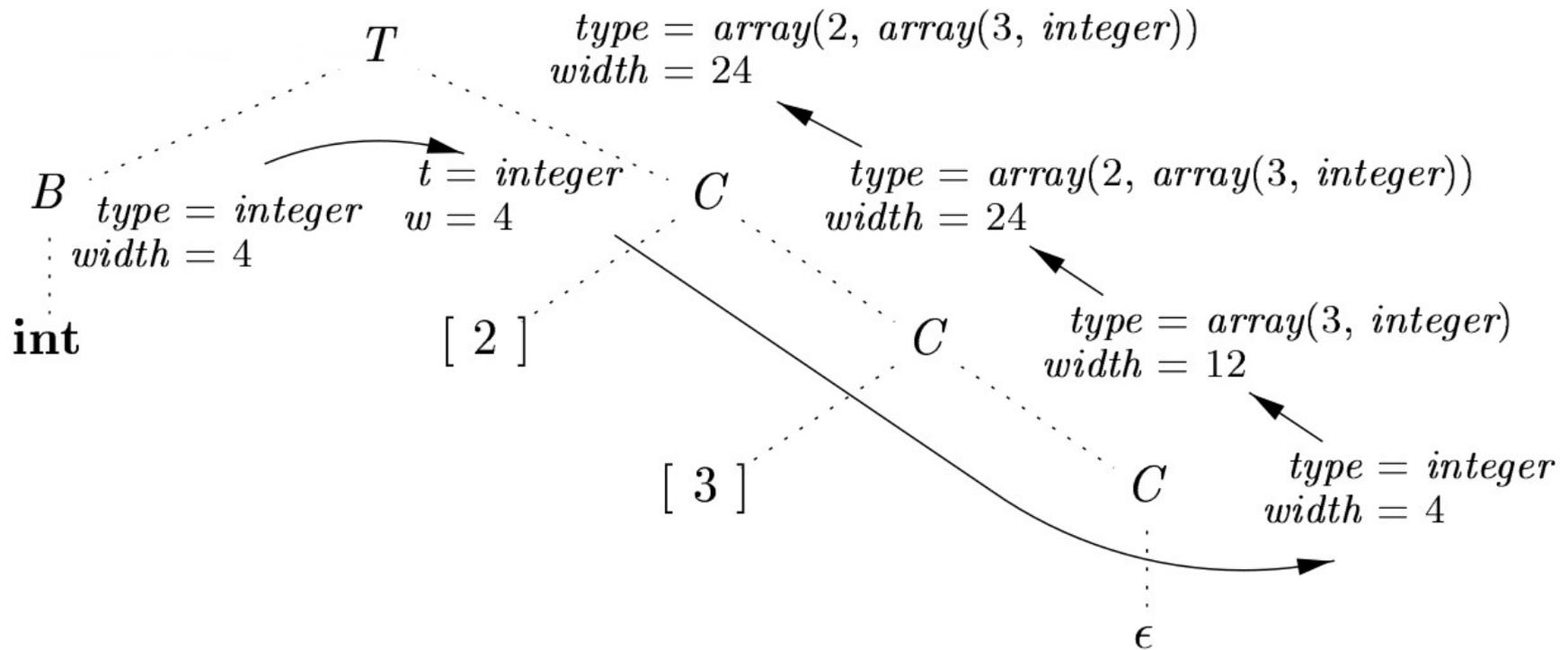
- Width of type: # of storage units needed:
 - Basics: integral # of bytes.
 - Aggregates: allocated in one contiguous block of bytes.

$T \rightarrow B$	$\{ t = B.type; w = B.width; \}$
C	$\{ T.type = C.type; T.width = C.width; \}$
$B \rightarrow \mathbf{int}$	$\{ B.type = integer; B.width = 4; \}$
$B \rightarrow \mathbf{float}$	$\{ B.type = float; B.width = 8; \}$
$C \rightarrow \varepsilon$	$\{ C.type = t; C.width = w; \}$
$C \rightarrow [\mathbf{num}] C_1$	$\{ C.type = array(\mathbf{num.value}, C_1.type);$ $C.width = \mathbf{num.value} \times C_1.width; \}$

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Example

- `int [2] [3]`



Sequences of Declarations

$$P \rightarrow \{ \textit{offset} = 0; \}$$
$$D$$
$$D \rightarrow T \mathbf{id}; \quad \{ \textit{top.put}(\mathbf{id.lexeme}, T.type, \textit{offset}); \textit{offset} \\ = \textit{offset} + T.width; \}$$
$$D_1$$
$$D \rightarrow \varepsilon$$

- **Note:** $P \rightarrow \{ \textit{offset} = 0; \} D$
- **Using marker non-terminals:**

$$P \rightarrow M D$$
$$M \rightarrow \varepsilon \quad \{ \textit{offset} = 0; \}$$

Fields in Records and Classes

- For record, add $T \rightarrow \mathbf{record} \{ \{ D \} \}$
 - Unique field names within a record.
 - Offset for a field name relative to record's data area.
- Ex:

```
float x;  
record { float x; float y; } p;  
record { int tag; float x; float y; } q;  
x = p.x + q.x;
```
- Use a symbol table for record type (for types and relative addresses).
- Record type : $record(t)$: record (type constructor), t (symbol table object)

Fields in Records and Classes

Add to the prev. grammar:

$$\begin{aligned} T \rightarrow \mathbf{record} \text{ '}' & \quad \{ \mathit{Env.push(top)}; \mathit{top} = \mathbf{new Env}(); \\ & \quad \mathit{Stack.push(offset)}; \mathit{offset} = 0; \} \\ D \text{ '}' & \quad \{ T.type = \mathit{record(top)}; T.width = \mathit{offset}; \\ & \quad \mathit{top} = \mathit{Env.pop}(); \mathit{offset} = \\ & \quad \mathit{Stack.pop}(); \} \end{aligned}$$

Translation of Expressions

- Expression like $a + b * c$ will be translated to a series of single operator instructions.
- Array reference like $A[i][j]$ will be translated to a series of instructions to calculate array element address.

Operations within Expressions

- SDD for generating three address code for expressions

- **Ex:** $a = b + -c$

- $t_1 = \text{minus } c$

- $t_2 = b + t_1$

- $a = t_2$

PRODUCTION	SEMANTIC RULES
$S \rightarrow \mathbf{id} = E ;$	$S.code = E.code \parallel$ $\text{gen}(\text{top.get}(\mathbf{id.lexeme}) \text{'=' } E.addr)$
$E \rightarrow E_1 + E_2$	$E.addr = \mathbf{new Temp}()$ $E.code = E_1.code \parallel E_2.code \parallel$ $\text{gen}(E.addr \text{'=' } E_1.addr \text{'+' } E_2.addr)$
$ - E_1$	$E.addr = \mathbf{new Temp}()$ $E.code = E_1.code \parallel$ $\text{gen}(E.addr \text{'=' } \mathbf{'minus' } E_1.addr)$
$ (E_1)$	$E.addr = E_1.addr$ $E.code = E_1.code$
$ \mathbf{id}$	$E.addr = \text{top.get}(\mathbf{id.lexeme})$ $E.code = \text{' '}$

Incremental Translation

- Translation scheme for generating three address code for expressions

- **Ex:** $a = b + -c$

- $t_1 = \text{minus } c$

- $t_2 = b + t_1$

- $a = t_2$

PRODUCTION	CODE FRAGMENTS
$S \rightarrow \mathbf{id} = E ;$	$\{gen(top.get(\mathbf{id}.lexeme) '=' E.addr);\}$
$E \rightarrow E_1 + E_2$	$\{E.addr = \mathbf{new Temp}();$ $gen(E.addr '=' E_1.addr '+' E_2.addr);\}$
$ - E_1$	$\{E.addr = \mathbf{new Temp}();$ $gen(E.addr '=' \mathbf{minus} E_1.addr);\}$
$ (E_1)$	$\{E.addr = E_1.addr;\}$
$ \mathbf{id}$	$\{E.addr = top.get(\mathbf{id}.lexeme);\}$

Addressing Array Elements

- Array elements stored in a block of consecutive locations.
- Address of element i is: $base + i * w$
- For $A[i_1][i_2]$: $base + i_1 * w_1 + i_2 * w_2$
- k dim: $base + i_1 * w_1 + i_2 * w_2 + \dots + i_k * w_k$
- Or: $base + (i_1 * n_2 + i_2) * w$
 $base + ((...(i_1 * n_2 + i_2) * n_3 + i_3)...) * n_k + i_k) * w$
- If array starts at low :
 $base + (i - low) * w$
 $c + i * w$ where $c = base - low * w$ (calculated at compile time).
- Pre-calculations for multi-dimensional array elements also.
- In case of dynamic size array, no pre-calculations.

Addressing Array Elements

- The prev. calculations are for row-major layout. (C and Java).
- There is also column-major layout (Fortran).

A[1, 1]
A[1, 2]
A[1, 3]
A[2, 1]
A[2, 2]
A[2, 3]

A[1, 1]
A[2, 1]
A[1, 2]
A[2, 2]
A[1, 3]
A[2, 3]

Translation of Array References

PRODUCTION	CODE FRAGMENTS
$S \rightarrow \mathbf{id} = E ;$	{ <i>gen</i> (<i>top.get</i> (id.lexeme) '=' <i>E.addr</i>); }
$L = E ;$	{ <i>gen</i> (<i>L.addr.base</i> '[' <i>L.addr</i> ']' '=' <i>E.addr</i>); }
$E \rightarrow E_1 + E_2$	{ <i>E.addr</i> = new Temp (); <i>gen</i> (<i>E.addr</i> '=' <i>E₁.addr</i> '+' <i>E₂.addr</i>); }
id	{ <i>E.addr</i> = <i>top.get</i> (id.lexeme); }
L	{ <i>E.addr</i> = new Temp (); <i>gen</i> (<i>E.addr</i> '=' <i>L.addr.base</i> '[' <i>L.addr</i> ']); }
$L \rightarrow \mathbf{id} [E]$	{ <i>L.array</i> = <i>top.get</i> (id.lexeme); <i>L.type</i> = <i>L.array.type.elem</i> ; <i>L.addr</i> = new Temp (); <i>gen</i> (<i>L.addr</i> '=' <i>E.addr</i> '*' <i>L.type.width</i>); }
$L_1 [E]$	{ <i>L.array</i> = <i>L₁.array</i> ; <i>L.type</i> = <i>L₁.type.elem</i> ; <i>t</i> = new Temp (); <i>L.addr</i> = new Temp (); <i>gen</i> (<i>t</i> '=' <i>E.addr</i> '*' <i>L.type.width</i>); <i>gen</i> (<i>L.addr</i> '=' <i>L₁.addr</i> '+' <i>t</i>); }

Example

- $c + a[i][j]$
- $(\text{let } a = \text{int}[2][3])$

- $t_1 = i * 12$
- $t_2 = j * 4$
- $t_3 = t_1 + t_2$
- $t_4 = a [t_3]$
- $t_5 = c + t_4$

